

# Extending Upside, A near-atomic level model for fast protein folding, for predicting protein-protein interactions

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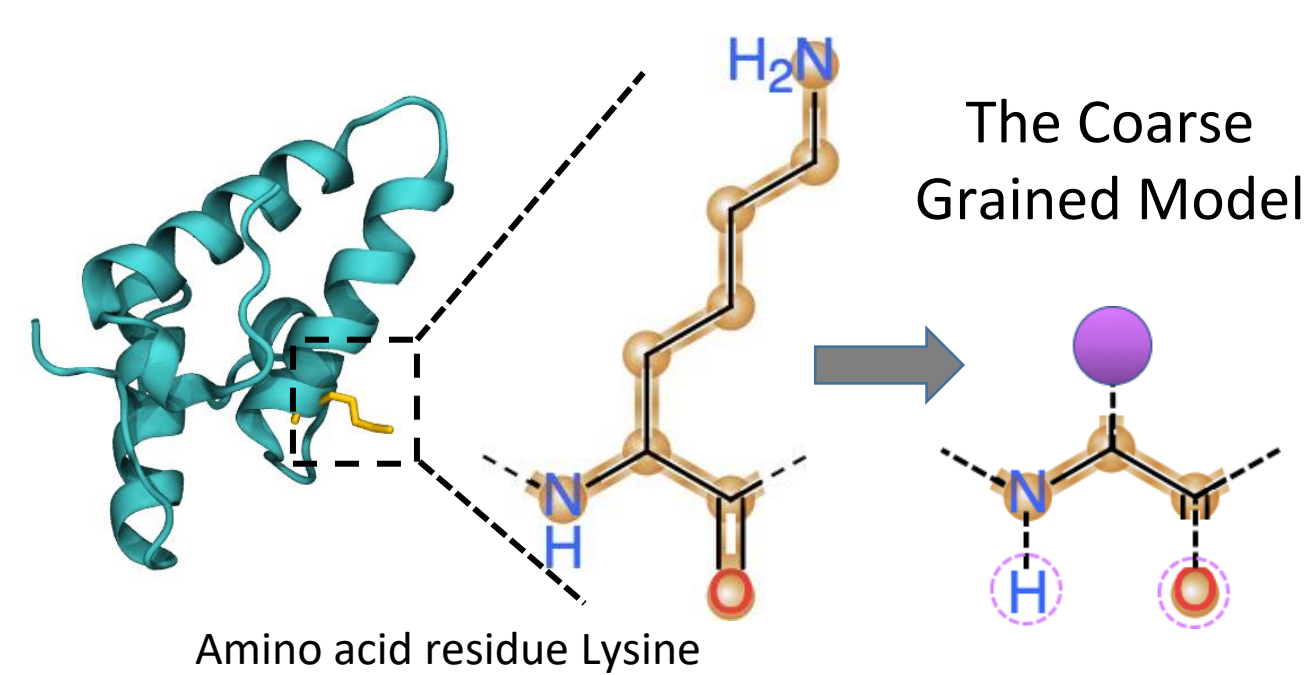
## Abstract

We are extending *Upside*, a near-atomic level model previously developed in our group for fast folding of proteins in implicit solvent via Langevin dynamics, for predicting protein-protein interactions and binding affinities. *Upside's* speed arises from only explicitly accounting for the backbone N, C $\alpha$ , and C atoms during the dynamics portion, while it infers the position of pendant groups representing side chains and propagates their forces onto the backbone. The reconstructed protein maintains detailed Rama maps, H-bonding, and side chain potentials, setting *Upside* apart from typical GG models. This provides a solid foundation to study protein-protein interactions. Here we utilize *Upside* for this application by retraining the potential with a benchmark set of protein complexes. We find mixed success.

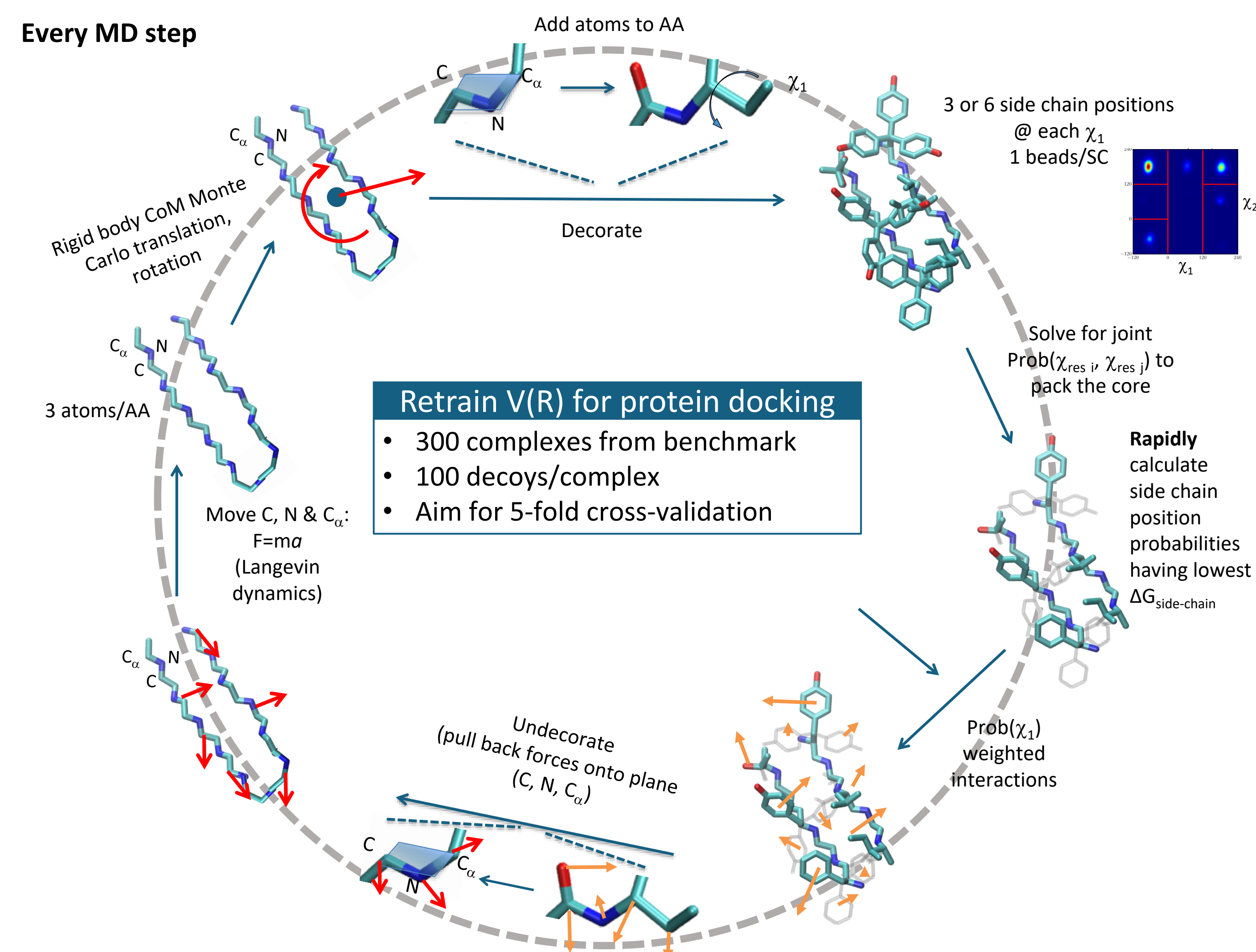
## Current Scope

- Docking: predict the geometry of bound poses
- Want native pose (corresponding to crystal structure) to be highest ranked

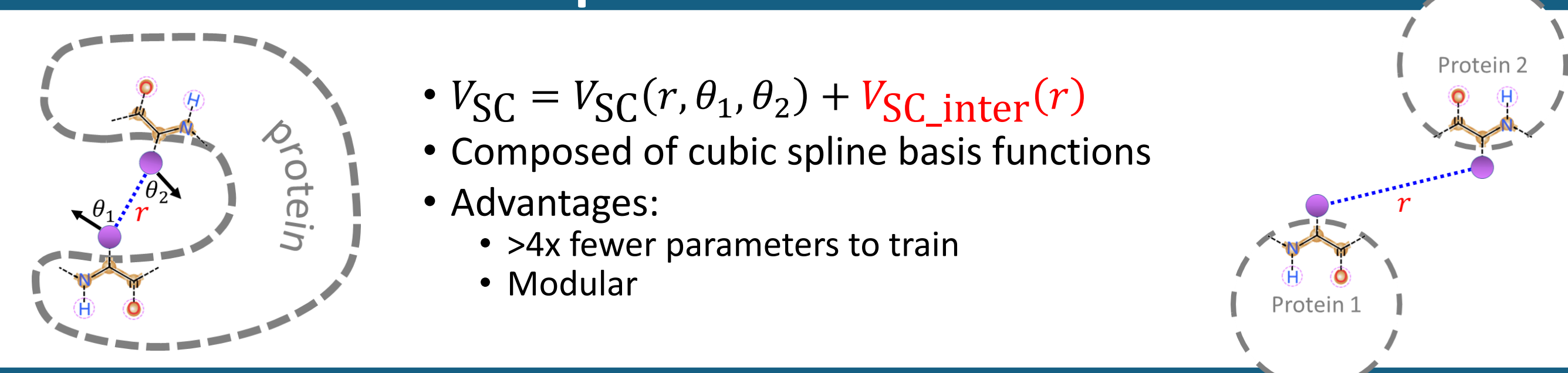
## CG Model



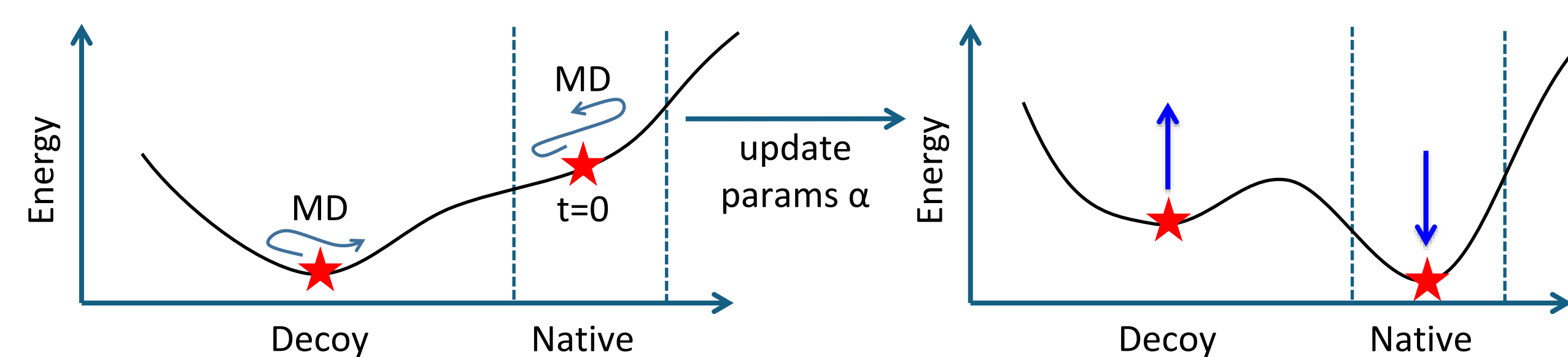
## Upside Computational Loop



## New Inter-protein Potential Term



## Training Objective



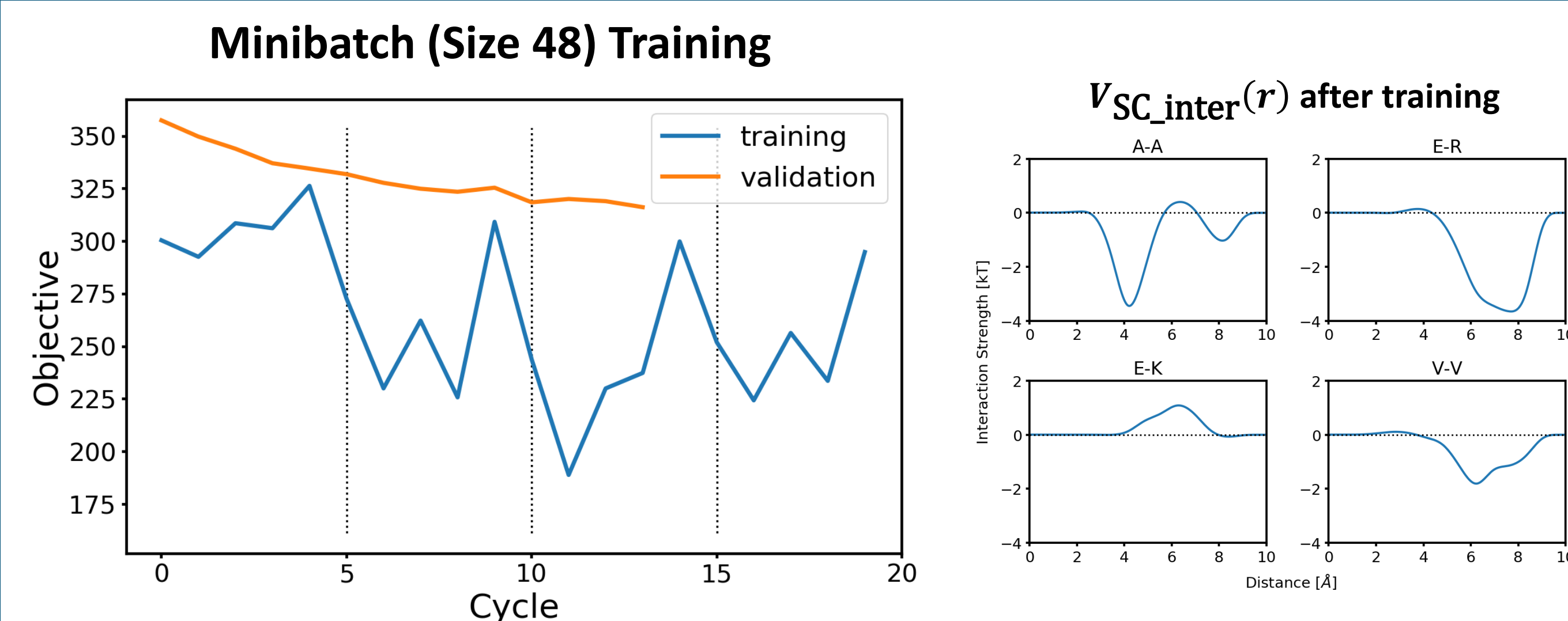
- Upside already trained on single protein chain data set for protein folding
- $\rightarrow$  info relevant to protein-protein interactions underrepresented

We want to minimize native pose's potential energy w.r.t. params  $\alpha$  and therefore maximize its (Boltzmann) probability:

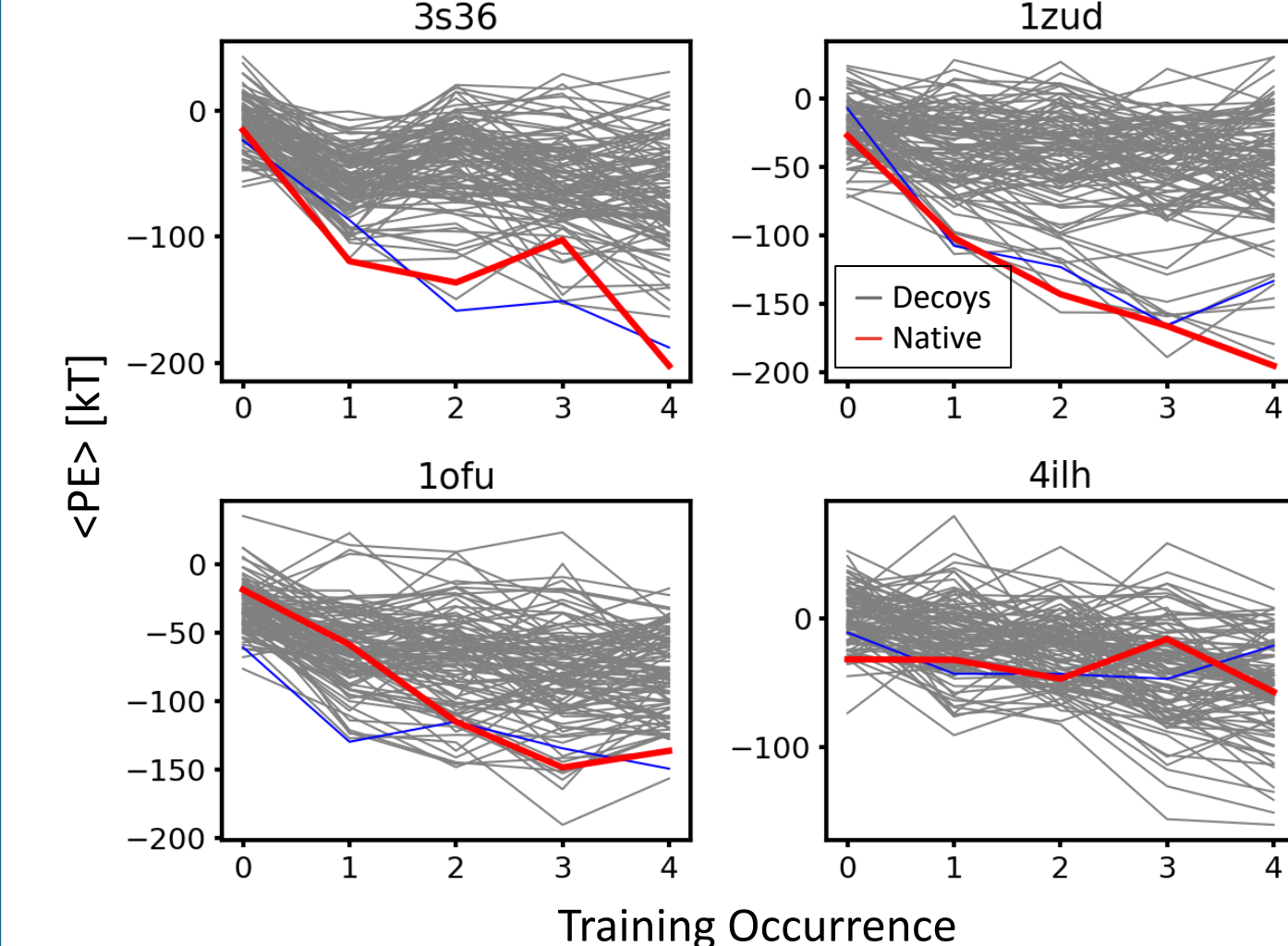
$$\max_{\alpha} \frac{1}{N} \sum_i \left( \frac{e^{-\beta(E)_i^0}}{\sum_{k=0}^m e^{-\beta(E)_k^i}} \right) \Rightarrow \min_{\alpha} \frac{1}{N} \sum_i \left[ -\ln \left( \frac{e^{-\beta(E)_i^0}}{\sum_{k=0}^m e^{-\beta(E)_k^i}} \right) \right]$$

$(E)_k^i$ ,  $k=0$  is native,  $k \neq 0$  is decoy for  $N$  complexes

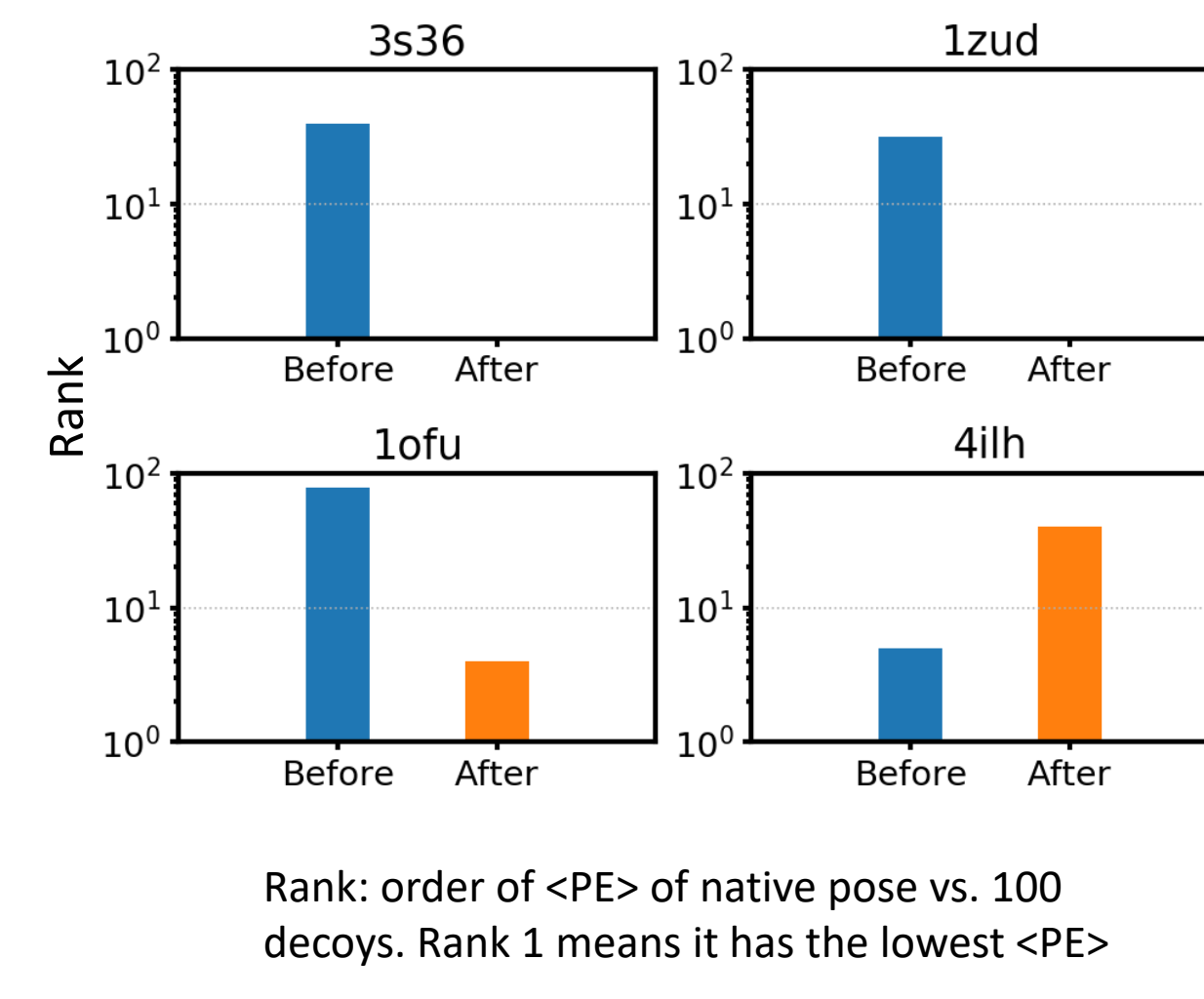
## Training Results



### Evolution of <PE> During Training for 4 Complexes



### Change in Native Rank After Training



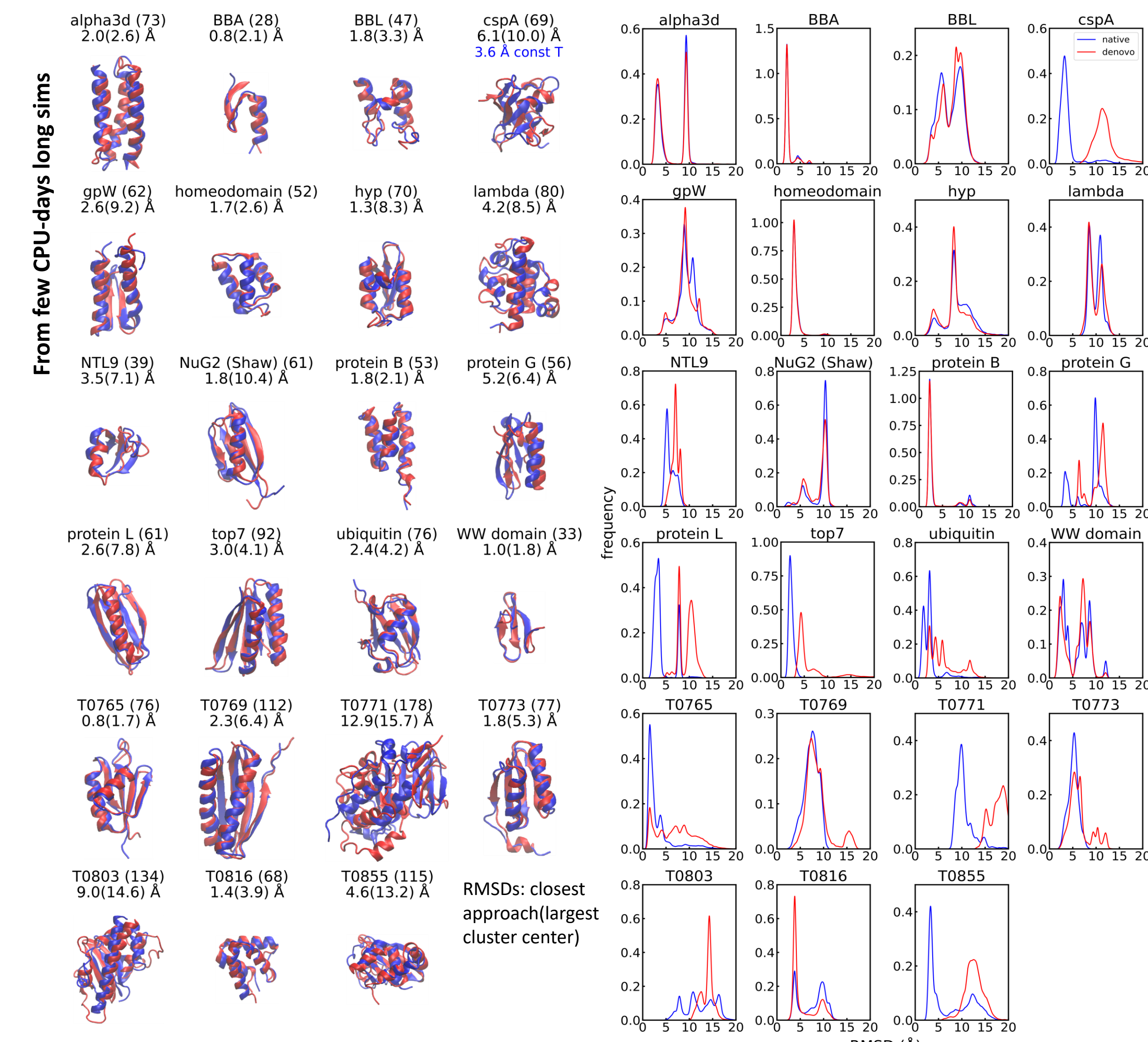
### Summary Stats

	Rank Improvement	Rank Degradation	Top 5 Before	Top 5 After	Top 5 New
Training (240)	5573	641	67	122	73
Validation (60)	1015	238	19	26	13

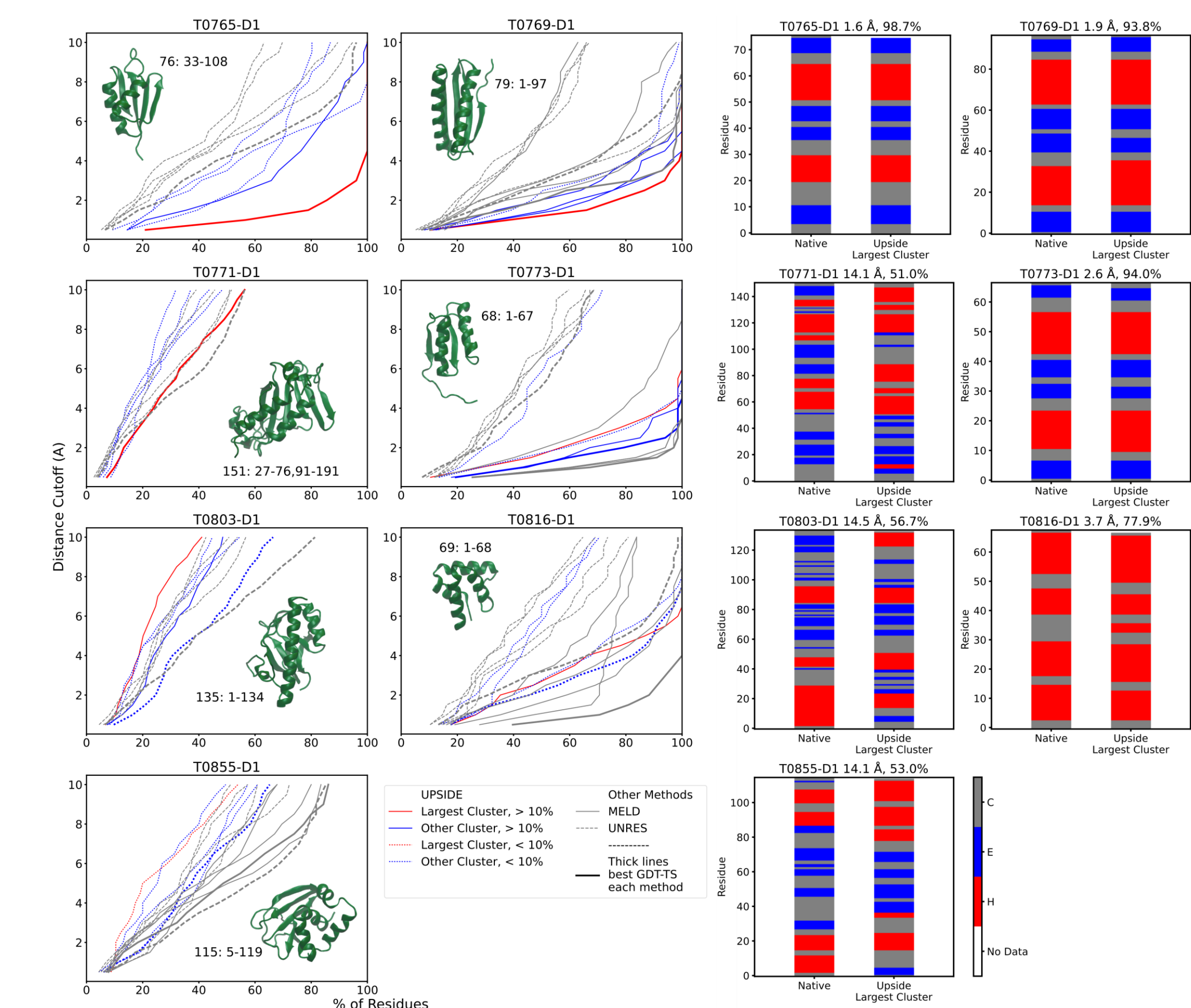
## Ongoing and Future Work

- Try different forms of training objective
- More extensive validation and testing: higher degree of cross-validation, longer simulations, start from unbound conformations
- Expand training set

## Success in De Novo Protein Folding



### CASP Targets: Global Distance Test



## References

- J. M. Jumper, K. F. Freed, and T. R. Sosnick, "New Methods using Rigorous Machine Learning for Coarse-Grained Protein Folding and Dynamics," Ph.D. Thesis, 2017.
- P. J. Kundrotas et al., "Dockground: A comprehensive data resource for modeling of protein complexes," *Protein Science*, vol. 27, no. 1, pp. 172–181, Epub Oct. 2017.
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- M. Parisien, K. F. Freed, and T. R. Sosnick, "On Docking, Scoring and Assessing Protein-DNA Complexes in a Rigid-Body Framework," *PLOS ONE*, vol. 7, no. 2, p. e32647, Feb. 2012.

## Acknowledgements

